

CONSIDERING COGNITIVE FACTORS IN INTEREST RESEARCH: CONTEXT PERSONALIZATION AND ILLUSTRATIONS IN MATH CURRICULA

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This paper examines two factors that have been shown in previous literature to enhance students' interest in learning mathematics – personalization of problems to students' interest areas, and the addition of visual representations such as decorative illustrations. In two studies taking place within an online curriculum for middle school mathematics, students receive problem types that vary with respect to these factors. Results show that while these interest-enhancing interventions may benefit students in the short-term as they solve modified problems, there is little evidence they allow students to understand key mathematics concepts more deeply.

Keywords: Middle School Education, Curriculum, Technology

Research has revealed how many students tend to disengage with mathematics over adolescence (Fredricks & Eccles, 2002; Frenzel, Gotez, Pekrun, & Watt, 2010), and increasingly have difficulty seeing the relevance of mathematics to their lives (McCoy, 2005). Accordingly, research on how interest can be activated and maintained in classrooms has become prevalent in educational psychology. Some interventions to enhance students' interest in curricular materials include adding colorful illustrations (Durik & Harackiewicz, 2007), personalizing instruction to students' out-of-school interests in topics like sports or music (Walkington, 2013), and giving learners choice in their learning activities (Patall, 2013; Potvin & Hasni, 2014). Visual representations that enhance interest may promote persistence and focus of attention, and sometimes they directly provide mathematical information to support students. Personalizing problems may also enhance interest, and allow learners to draw upon prior knowledge of concrete, relatable situations. While these interventions have shown promise for eliciting interest, consideration is not always given to the cognitive implications of the modifications. Specifically, features designed to enhance interest may distract learners from grappling with the mathematical concepts that should be the central focus, a phenomenon known as the *seductive details effect* (Harp & Mayer, 1998; Lehman, Schraw, McCrudden, & Hartley, 2007). Also, if learners become accustomed to these kind of interest-enhancing supports, they may struggle in situations where they must solve abstract mathematics problems. Research on desirable difficulties (Schmidt & Bjork, 1992) suggests that learners may benefit more in the long term from a lack of support in their learning environment, as this forces them to grapple with concepts and make important connections on their own. Further, research on simple symbols suggests that teaching concepts using abstract formalisms – rather than concrete applications – allows for better transfer of learning of the underlying mathematical ideas (Sloutsky, Kaminski, & Heckler, 2005).

Here we examine interest-enhancing interventions – personalization, choice, and the use of illustrations – in a curriculum for 6th grade math. We examine the short term effects of these modifications – whether the interest enhancement is supportive or seductive – and well as the long term effects on student learning – whether the interest enhancement is a crutch or a scaffold.

Literature Review

Visual Representations

Considerable research shows that learners benefit from visual representations (e.g., Mayer, 2009), and effectively using visual representations improves problem solving (Woodward et al.,

2012). Research into the effects of diagrams, one form of visual representations, in middle school mathematics includes topics such as the creation of schematic diagrams for spatially-oriented arithmetic word problems (Boonen et al., 2014), the use of diagrams in algebra word problems (Booth & Koedinger, 2012), and the use of diagrams in proportional reasoning tasks (Jitendra & Star, 2012). While there are some positive findings for diagrams, overall findings are mixed (Booth & Koedinger, 2012). More research is warranted to evaluate when, where, and how such diagrams will be most helpful. There are also mixed findings regarding the impact of decorative illustrations (Berends & van Lieshout, 2009; Jaeger & Wiley, 2014). Considerable support (Harp & Mayer, 1998; for a review, see Rey, 2012) has been found for the *coherence principle* (Mayer, 2009), which suggests that removing interesting but irrelevant information contained in purely decorative illustrations fosters learning. There are also mixed findings for decorative illustrations that contain no mathematical information, but that illustrate the context of a problem – they have been found to have no influence on problem solving (Dewolf, van Dooren, EvCimen, & Verschaffel, 2014) or be helpful (Elia & Philippou, 2004). Here, we use illustrations that have diagrammatic features that give mathematical information, as well as purely decorative illustrations that illustrate or do not illustrate the story context.

Personalization and Choice

We define personalization as an instructional approach that connects math tasks to students' out-of-school interests in broad topics such as sports, shopping, and video games (Walkington, 2013). Research on personalization in mathematics has yielded mixed findings – there is some evidence that personalization carefully accomplished through student interest interviews and open-ended surveys can promote achievement gains in algebra (Walkington, 2013), and that deeper and more authentic personalization can be more effective than shallow approaches in which a few words are simply swapped out of story problems and replaced with words related to an interest topic (Walkington & Bernacki, under review). Other research suggests that even very shallow attempts at personalization can promote student performance and learning (Anand & Ross, 1987; Cordova & Lepper, 1996). However, more recent studies have challenged whether personalization is even worth doing if there is not deep engagement with the actual quantitative knowledge that students actually use as they pursue their interests (e.g., Fancsali & Ritter, 2014). Finally, complementary research also shows that the facilitation of learner control or choice in a learning environment has the potential to enhance interest and motivation (Linnenbrink-Garcia et al., 2013; Patall, 2013; Potvin & Hasni, 2014), as well as learning (Cordova & Lepper, 1996).

Research Purpose

In prior work (Walkington, Cooper, & Howell, 2013; Walkington, Cooper, Nathan, & Alibali, 2015), we found that personalization and illustrations used in worksheets covering middle school mathematics concepts enhanced students' interest, but did not affect their performance. Here, we expand this research by examining several different types of illustrations and several different approaches to personalization in an online, adaptive mathematics curriculum, and examine the effect not only on short-term performance but on long-term learning. Our research questions are: How do different types of illustrations impact students' accuracy on the illustrated problems and their performance on a post-test without illustrations? How do different approaches to personalization impact students' accuracy on personalized problems and their performance on a non-personalized post-test?

Method

Both studies took place within the *Reasoning Mind* 6th grade curriculum. Reasoning Mind is a mathematics blended learning system developed by a nonprofit organization. Within this system,

students use computers during their math class while their teacher conducts targeted interventions with students who are struggling. The student is immersed in a lesson environment that includes a tutor character, two other student characters, and a virtual blackboard. The student characters make common mistakes which the real student is asked to correct, they help the real student when he or she gets stuck, and they interact with the real student and the tutor in ways that are intended to promote beneficial mathematical attitudes and beliefs. Both studies took place in two small urban middle schools in Texas. Study 1 involved 265 6th grade students, while Study 2 involved 223 6th grade students (demographics in Table 1).

Table 1: School Demographics and Performance

Demographic Group	% in School A	% in School B
Hispanic/Latino	33.1	97.4
Asian	6.0	0
Black or African American	17.3	1.5
Native Hawaiian or other Pacific Islander	0.4	0
White	36.7	1.1
Two or more races	6.0	0
Economically disadvantaged	69.8	92.2
Limited English Proficient (LEP)	10.9	23.5
2014 STAAR Mathematics Passing Rate	30.2	24.3

Study 1: Visuals

Study 1 included 4 fractions problems in Lessons 88 and 89 of the curriculum. All problems gave a fractional measurement (e.g., $\frac{3}{8}$ of a meter), and then described what part of a whole this measurement was (e.g., was $\frac{21}{40}$ of the whole length). The students then had to solve for the whole. Students were randomly assigned to one of five conditions (see Figure 1): 1) a control condition with no illustrations for the 4 problems, 2) a condition with diagrammatic illustrations that contained mathematical information in the form of a number line (e.g., in Figure 1, the cord could be thought of as a number line with a certain amount of the whole line indicated by being “chewed”) or a shaded area model (e.g., an illustration showing how much grass in a whole field had been mowed), 3) a condition with contextual illustrations that simply showed part of the story context and contained no mathematical information, 4) a condition with misleading diagrammatic illustrations that contained incorrect mathematical information (e.g., in Figure 2 the illustration makes it look like most of the cord is chewed, when the answer shows that only a small portion has been chewed), and 5) a condition with irrelevant illustrations that had nothing to do with the story context. The misleading illustration condition was added based on the observation that some of the illustrations already in the curriculum were actually misleading – for example, there would be a problem about a snake who had one third of his length wrapped around a pole, but the illustration would display a snake completely wrapped around a pole. The diagrams were designed to be *supportive* rather than *essential* (i.e., the problem could be solved without looking at them). This is common in math curricula, and it allowed for the problems to still be solvable in conditions where the visuals were purely decorative.

Study 2: Personalization & Choice

Study 2 involved two more extended problem scenarios involving rates in Lesson 103 of the Reasoning Mind curriculum. Students were randomly assigned to one of four conditions: 1) a control condition with the standard story problems already in the unit (shown in Figure 2), 2) a condition where the problem topic is modified and assigned based on students’ highest reported interest across four personalized topics (sports, food, shopping, and video games) on an interest survey given to all conditions, 3) a condition where students are randomly assigned to one of the four personalized

versions of the problem, and 4) a condition where the student is able to choose the problem topic from the four personalized topics before working on the problems.

Diagrammatic Illustration	Contextual Illustration
<p>MONTH DD, YYYY • Topic</p> <p>Homework Review:</p> <p>Pawthagoras the dog chewed up $\frac{3}{8}$ m of a network cable, which was $\frac{2}{12}$ of the whole cable. How long was the whole cable?</p> <p>Chewed up: $\frac{3}{8}$ m, $\frac{12}{12}$ ←</p> <p>Whole: ? m ←</p> $\frac{3}{8} \div \frac{2}{12} = \frac{3}{8} \cdot \frac{12}{2} = \frac{3 \cdot 12}{8 \cdot 2} = \frac{3 \cdot 3}{2} = \frac{9}{2} = 4.5 \text{ (m) is the whole cable's length}$ <p>Answer: 4.5 m</p> 	<p>MONTH DD, YYYY • Topic</p> <p>Homework Review:</p> <p>Pawthagoras the dog chewed up $\frac{3}{8}$ m of a network cable, which was $\frac{2}{12}$ of the whole cable. How long was the whole cable?</p> <p>Chewed up: $\frac{3}{8}$ m, $\frac{12}{12}$ ←</p> <p>Whole: ? m ←</p> $\frac{3}{8} \div \frac{2}{12} = \frac{3}{8} \cdot \frac{12}{2} = \frac{3 \cdot 12}{8 \cdot 2} = \frac{3 \cdot 3}{2} = \frac{9}{2} = 4.5 \text{ (m) is the whole cable's length}$ <p>Answer: 4.5 m</p> 
<p>MONTH DD, YYYY • Topic</p> <p>Homework Review:</p> <p>Pawthagoras the dog chewed up $\frac{3}{8}$ m of a network cable, which was $\frac{2}{12}$ of the whole cable. How long was the whole cable?</p> <p>Chewed up: $\frac{3}{8}$ m, $\frac{12}{12}$ ←</p> <p>Whole: ? m ←</p> $\frac{3}{8} \div \frac{2}{12} = \frac{3}{8} \cdot \frac{12}{2} = \frac{3 \cdot 12}{8 \cdot 2} = \frac{3 \cdot 3}{2} = \frac{9}{2} = 4.5 \text{ (m) is the whole cable's length}$ <p>Answer: 4.5 m</p> 	<p>MONTH DD, YYYY • Topic</p> <p>Homework Review:</p> <p>Pawthagoras the dog chewed up $\frac{3}{8}$ m of a network cable, which was $\frac{2}{12}$ of the whole cable. How long was the whole cable?</p> <p>Chewed up: $\frac{3}{8}$ m, $\frac{12}{12}$ ←</p> <p>Whole: ? m ←</p> $\frac{3}{8} \div \frac{2}{12} = \frac{3}{8} \cdot \frac{12}{2} = \frac{3 \cdot 12}{8 \cdot 2} = \frac{3 \cdot 3}{2} = \frac{9}{2} = 4.5 \text{ (m) is the whole cable's length}$ <p>Answer: 4.5 m</p> 
Misleading Illustration	Irrelevant Illustration

Figure 1. Example of conditions in Study 1 (there was also a “No Illustration” condition).

Depending on condition, students were given one of five versions of the same problem. In each version, the numbers and question remained the same, but the topic was changed. The control problems are in Figure 2. The other four versions were personalized and changed the topic to sports, shopping, video games, or food. For the first problem (Figure 2, top), the personalization was shallow and involved swapping out “books” for another noun – footballs, lollipops, necklaces, and crystals. For the second problem (Figure 2, bottom), the personalization was deeper as more words were swapped – each of the locations was replaced with a setting that someone who engaged in the personalized topic would be interested in. For example, the video game variation discussed Kayla traveling to an Enchanted Forest, Dragon Cave, and Wizard’s Tower while playing a video game. Readability factors were kept consistent among personalized variations and between personalized and control group problems, as was the presence and type of illustrations. For the first problem, all versions had two illustrations – one with an image of the object that had been swapped out for the pile of books (e.g., footballs), and one with a pile of dollar bills. For the second problem, all versions had the same diagram, but the images of each location were redrawn to match the locations given in the modified story (e.g., a dragon cave).

Let's use a table to investigate how the number of books I buy relates to the cost. I was at the bookstore the other day. I bought 1 book, which cost 4 dollars. Then I decided that I wanted two copies of the book. How much will two books cost?

Number (books)	Cost (dollars)
1	4
4	16



Kayla walks at a speed of 50 meters per minute. It takes Kayla 10 minutes to walk the distance of 500 meters to school. After school, it takes her 20 minutes to walk the distance of 1000 meters to the library. After the library, Kayla walks to volleyball practice. The distance to volleyball practice is three times the distance she walks to school. If Kayla's speed did not change, and the distance increased by a factor of 3, then what do you think happened to the time?

Speed	Time	Distance
50 m/min	10 min	500 m
did not change	increased by a factor of 2	increased by a factor of 2
50 m/min	20 min	1000 m
did not change	increased by a factor of 3	increased by a factor of 3
50 m/min	30 min	1500 m

Kayla walks at a speed of 50 m/min

Figure 2. Control (non-personalized) problems utilized in Study 2.

Data Analysis

In both studies, data were analyzed using linear regression models that predicted accuracy on each of the intervention problems and percentage of problems correct on the post test. The accuracy for individual problems was computed by assigning one point to each prompt the tutor asked students to type a numerical response into, and averaging performance across all such prompts. Predictors included Condition (4 or 5 levels), as well as controls for prior knowledge differences between conditions. We had slightly different prior knowledge data available in each study – in Study 1, we included performance on the previous unit test and previous lesson as controls. In Study 2, rather than prior test performance, we had available Guided Study Accuracy (an overall in-tutor measure of knowledge). The post-test measures for each study also varied slightly. In Study 1, there was a quiz immediately after the two intervention units that could be utilized. However, in Study 2 there was just a unit test available in the software that covered all the proportion lessons in the tutor, and no subsequent quiz. Although we used the unit test for long-term learning outcomes in Study 2, we also did supplementary analyses of individual items on the unit test that better aligned to the units where the intervention was placed. However, when analyses were done using individual items or sets of individual items, no additional significant effects were detected – thus we use the score on the entire test.

Results

Study 1: Visual Representations

Results showed that for the second problem, which is the one used as an example in Figure 1, having diagrammatic illustration significantly improved performance, compared to the other four conditions ($B = 14.97, p = 0.003$). However, there were no differences between the different conditions for models predicting performance on the other problems ($ps > 0.1$). The differing behavior of problem 2 was also shown by a problem by condition interaction when the data was analyzed with all the problems together. The illustrative diagrams were significantly more beneficial to performance on problem 2, compared to the other 3 problems ($Bs = 12.82, 13.95, 12.54; ps = 0.014, 0.007, 0.014$). Anecdotally, the diagrammatic illustration for Problem 2 may have been particularly effective because Pawthagoras is a fun and well-liked character within Reasoning Mind so students may be more likely to focus on the information in the diagram.

Also examined was performance on the post-quiz at the end of Lesson 89. Results showed that students who had received no visual images for the four problems while receiving their learning

materials significantly outperformed the other conditions on the quiz ($B = 12.03, p = 0.030$). Thus while there was some evidence from one of the problems that diagrammatic illustrations allowed students to perform better in the short term, in the long term, not having any visual representations at all facilitated post-test performance.

Data were also available for students' response to the prompt "How much did you like this lesson?" on a 5 point scale (Terrible, Bad, OK, Good, Great) for lessons 88 and 89. Students' two ratings were averaged, and entered into a linear regression model predicting average lesson rating based on Condition as well as their ratings of the four prior lessons as controls. Data for 49 students were missing due to the student not answering the prompt for either of the lessons. Results showed that students who received illustrations that contained no mathematical information (i.e., Contextual Illustrations and Irrelevant Illustrations) rated that they liked the lessons significantly more than other students ($B = 0.328, p = .0185$). Thus illustrations added purely for decorative purposes seemed to enhance students' ratings of the lessons, although the effect was relatively modest (0.3 on a 5-point scale).

Study 2: Personalization & Choice

Results for performance on the different versions of the shallow personalized problem (Q1 in Figure 2) showed no significant differences by Condition ($ps > 0.1$). Results for the different versions of the deep personalized problem (Q2 in Figure 2) showed that students who received personalization by choosing immediately before the problem significantly outperformed the control condition on this problem ($B = 11.82, p = 0.005$), and students who received personalization based on a survey also outperformed the control ($B = 8.76, p = 0.035$). The benefit of receiving a personalized problem randomly assigned over the control condition did not reach significance ($p = 0.088$); no further contrasts were significant ($ps > 0.1$). Thus personalization, whether accomplished through choice or survey assignment, boosted students' performance relative to solving a non-personalized problem.

On the unit test, although students who received personalization and choice numerically scored highest, this difference did not near significance when compared to the control condition ($p = 0.305$). The only significant contrast for this model suggested that students who receive personalization and choice score significantly higher on the post-test than students who receive a random personalized problem ($B = 12.92, p = 0.033$). Thus there is further evidence that personalized versions of problems in the absence of some sort of intelligent selection system to assign them based on student interests are not particularly useful. However, there is little evidence to suggest that personalization acted as a crutch that hindered students' performance when later solving non-personalized problems.

Discussion & Conclusion

Study 1 gave fascinating results as to how visual representations interact with students' performance, attitudes, and long-term learning. Diagrams that contain mathematical information enhanced student performance for one of the problems, but only in the short term. This suggests that for some students, these representations may be a crutch when taking a post-assessment with no visuals. Purely decorative visuals were liked better by students, but there was no evidence they enhanced performance or learning. Finally, the absence of visuals altogether seemed to allow students to learn best from the materials. However, while learning is certainly important, having students enjoy working in their math curriculum, rather than find it tedious or boring, is an outcome that should not be dismissed as irrelevant. Study 2 suggests that personalization accomplished through intelligent selection of interest-based problems (either through a survey or learner choice) can enhance performance in the short term, but only for problems where the personalization is more deeply and thoughtfully accomplished. In the long term, receiving personalization did not show any advantage over receiving non-personalized versions of problems. Attitudinal measures were not

available in Study 2, so it would be interesting to observe in future work how different approaches to personalization impact lesson ratings.

Taken together, the results from both studies suggests that curriculum designers need to think critically about the outcomes they most value, and how those outcomes may be at odds with each other when considering interest-enhancing interventions. In some cases, interest enhancements that boost performance and interest in the short term as students are solving problems may not transfer to assessments of learning, and could even potentially harm learning compared to materials without the enhancements. Our results for visuals suggest that the absence of visuals may be a desirable difficulty that forces students to become accustomed to solving unadorned problems without visual supports or cues. Our results for personalization suggest that the addition of interest-based content is not seductive or distracting, and that it may help in the short term if it is well-matched to learners' actual preferences. However, the type of personalization we implemented here where words were simply swapped out of the stories may not be effective for promoting long-term learning. Instead, if long-term learning is the goal for personalization, research suggests that considering how students actually use quantities in their day-to-day life when pursuing their interests might be most effective (Walkington & Bernacki, 2015). Both studies also suggest that all approaches to interest-enhancement are not created equal – for visuals, whether the visual contains mathematical information is key; for personalization, the depth of the personalization and how problems are assigned to students are important. This suggests that when compiling data from multiple studies on interest enhancements, it is critical to pay close attention to how the enhancement was actually implemented in the curriculum.

Students' interest in learning mathematics can wane over the middle grades, and curriculum developers are increasingly drawn towards quick solutions to attempt increase student engagement with their materials. Many of these solutions can involve considerable cost to the curriculum developer (e.g., hiring an artist or writing multiple versions of each problem), thus it is important to consider how motivational enhancements impact students' understanding of mathematical ideas. Future research should delineate the most effective interest-enhancing supports for different profiles of learners, and for different mathematical content areas.

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